

DENSITY OF SHAPES OF PERIODIC TORI IN THE CUBIC CASE

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Time: Wednesday , July 31, 2024, 13:30-14:30

Venue: Room 102, SCMS

Abstract:

Given a compact orbit of diagonal action on $\mathrm{SL}(3, \mathbb{R})/\mathrm{SL}(3, \mathbb{Z})$, the set of periods of the orbit forms a lattice in the diagonal group, which can be identified with \mathbb{Z}^2 . We refer to this lattice as the shape of the compact orbit, which can be identified as a point in $\mathrm{SL}(2, \mathbb{R})/\mathrm{SL}(2, \mathbb{Z})$ after re-scaling to covolume one.

We prove that in $\mathrm{SL}(3, \mathbb{R})/\mathrm{SL}(3, \mathbb{Z})$ the shapes of periodic tori are dense in $\mathrm{SL}(2, \mathbb{R})/\mathrm{SL}(2, \mathbb{Z})$. The dense family of shapes are constructed explicitly from a family of cubic orders and their suborders. The talk is based on an ongoing joint work with Thi Dang and Nihar Gargava.