

## **CAYLEY GRAPHS WITH FEW AUTOMORPHISMS**

**Fudan Topology Seminar**

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**Time: Fri, Nov. 10th, 16:00-17:30**

**Venue: Room 102, SCMS**

**Abstract:** Let  $G$  be a group and  $S$  a generating set. Then the group  $G$  naturally acts on the Cayley graph  $\text{Cay}(G, S)$  by left multiplications. The group  $G$  is said to be rigid if there exists an  $S$  such that the only automorphisms of  $\text{Cay}(G, S)$  are the ones coming from the action of  $G$ . Equivalently, a group  $G$  is rigid if there exists a graph  $X$  with  $G = \text{Aut}(X)$  acting simply transitively on the vertices of  $X$ . While the classification of finite rigid groups was achieved in 1981, few results were known about infinite groups. In a recent work, with M. de la Salle we gave a complete classification of infinite finitely generated rigid groups. As a consequence, we also obtain that every finitely generated group admits a Cayley graph with countable automorphism group.