

**DEVIATIONS OF TRIANGLE COUNTS IN THE BINOMIAL  
RANDOM GRAPH II****Online Seminar****Speaker: Wojciech Samotij  
Tel Aviv University****Time: Thur, June. 18th, 15:00-16:00****Zoom meeting ID: 938 156 17744****Password: 061801****Link: <https://zoom.com.cn/j/93815617744>**

**Abstract:** Suppose that  $Y_1, \dots, Y_N$  are i.i.d. (independent identically distributed) random variables and let  $X = Y_1 + \dots + Y_N$ . The classical theory of large deviations allows one to accurately estimate the probability of the tail events  $X < (1-c)E[X]$  and  $X > (1+c)E[X]$  for any positive  $c$ . However, the methods involved strongly rely on the fact that  $X$  is a linear function of the independent variables  $Y_1, \dots, Y_N$ . There has been considerable interest-both theoretical and practical-in developing tools for estimating such tail probabilities also when  $X$  is a nonlinear function of the  $Y_i$ . One archetypal example studied by both the combinatorics and the probability communities is when  $X$  is the number of triangles in the binomial random graph  $G(n,p)$ .

Talk 2: We will present a complete solution to the upper tail problem for triangle counts in  $G(n,p)$  that was obtained recently in a joint work with Matan Harel and Frank Mousset.