

## ON ARITHMETICALLY THICK SETS IN $\mathbb{R}^d$

**Speaker: De-Jun Feng**

**The Chinese University of Hong Kong**

**Time: Sat, Dec 11, 15:00-16:00**

**Tencent room: 487-743-578      Code: 200433**

**Abstract:** A compact set  $E$  in the  $d$ -dimensional Euclidean space is said to be arithmetically thick if there exists a positive integer  $n$  so that the  $n$ -fold arithmetic sum of  $E$  has non-empty interior. We give a sufficient condition to guarantee the arithmetic thickness. Moreover, we verify this property for several classes of fractal sets, including all the self-similar sets and self-conformal sets that are not lying in a proper affine subspace. We also prove it for self-affine sets under mild assumptions. This is joint work with Yu-Feng Wu.