Schedule

The 2019 Fall Program of Low-Dimensional Dynamics Week 8(Oct. 28- Nov. 1)

Monday (Oct. 28)	102, SCMS
9:30 - 17:00	Free Discussion
Tuesday (Oct. 29)	102, SCMS
9:30 - 11:30	Free Discussion
14:30 - 16:30	Michael Benedicks
16:40 - 17:40	Shucheng Yu
Wednesday (Oct. 30)	102, SCMS
9:30 -11:30	Michael Benedicks
Thursday (Oct. 31)	102, SCMS
Thursday (Oct. 31) 14:30 – 16:30	102, SCMS Michael Benedicks
Thursday (Oct. 31) 14:30 – 16:30 Friday (Nov. 1)	102, SCMS Michael Benedicks 102, SCMS

(1) Lecture series by Michael Benedicks

Title: Parameter selection for H énon maps and the coexistence of sinks and attractors

Abstract: The aim of the lecture series is initially to go through the selection of parameters by Carleson and myself to construct quadratic maps with absolutely continuous invariant measures and dissipative H énon maps with Sinai-Ruelle-Bowen measures (strange attractors). I will then describe the modification of the constructions (joint work with Liviana Palmisano) to prove the coexistence (for the same parameters) of finitely many sinks and a strange attractor. We also obtain parameters in the H énon family with two coexisting strange attractors.

(2) Lecture by Shucheng Yu

Title: Values of random quadratic forms in shrinking targets

Abstract: Let \$Q\$ be a non-degenerate and non-definite quadratic form in more than two variables. The Oppenheim Conjecture, proved by Margulis, states that if \$Q\$ is not proportional to a rational quadratic form, then its values at integer points form a dense subset of the real number line. Since Margulis' proof, there have been many attempts in quantifying the density of values of quadratic forms. In this talk we will present a quantitative Oppenheim Conjecture which holds for random quadratic forms. This result verifies a prediction made by Ghosh, Gorodnik and Nevo on the optimal density of values of random quadratic forms. Our proof relies on an explicit volume estimate and a mean square bound for certain discrepancy functions which follows from Rogers' second moment formula for the Siegel transform. This is joint work with Dubi Kelmer.