## The 2019 Fall Program of Lam-Dimensional Dynamies Week 8(Oct. 28-Nou. 1)

| Monday (Oct. 28) | 102, SCMS |
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| $9: 30-17: 00$ | Free Discussion |
| Tuesday (Oct. 29) | 102, SCMS |
| $9: 30-11: 30$ | Free Discussion |
| $14: 30-16: 30$ | Michael Benedicks |
| $16: 40-17: 40$ | Shucheng Yu |
| Wednesday (Oct. 30) | 102, SCMS |
| $9: 30-11: 30$ | Michael Benedicks |
| Thursday (Oct. 31) | 102, SCMS |
| 14:30 - 16:30 | Michael Benedicks |
| Friday (Nov. 1) | 102, SCMS |
| $9: 30-17: 00$ | Free Discussion |

(1) Lecture series by Michael Benedicks

Title: Parameter selection for Hénon maps and the coexistence of sinks and attractors
Abstract: The aim of the lecture series is initially to go through the selection of parameters by Carleson and myself to construct quadratic maps with absolutely continuous invariant measures and dissipative Hénon maps with Sinai-RuelleBowen measures (strange attractors). I will then describe the modification of the constructions (joint work with Liviana Palmisano) to prove the coexistence (for the same parameters) of finitely many sinks and a strange attractor. We also obtain parameters in the Hénon family with two coexisting strange attractors.
(2) Lecture by Shucheng Yu

Title: $\quad$ Values of random quadratic forms in shrinking targets
Abstract: Let $\$ \mathrm{Q} \$$ be a non-degenerate and non-definite quadratic form in more than two variables. The Oppenheim Conjecture, proved by Margulis, states that if $\$ \mathrm{Q} \$$ is not proportional to a rational quadratic form, then its values at integer points form a dense subset of the real number line. Since Margulis' proof, there have been many attempts in quantifying the density of values of quadratic forms. In this talk we will present a quantitative Oppenheim Conjecture which holds for random quadratic forms. This result verifies a prediction made by Ghosh, Gorodnik and Nevo on the optimal density of values of random quadratic forms. Our proof relies on an explicit volume estimate and a mean square bound for certain discrepancy functions which follows from Rogers' second moment formula for the Siegel transform. This is joint work with Dubi Kelmer.

