## **BLOW UP ANALYSIS FOR THE LIOUVILLE EQUATION WITH** EXPONENTIAL NEUMANN BOUNDARY CONDITION

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## Lecture

Time: 10:00-11:00, Thursday, Nov. 21, 2019

**SCMS Seminar** 

Venue: Room 1801, East Main Guanghua Tower, Handan Campus

Abstract: In this paper we will analyze the blow-up behaviors of solutions to the singular Liouville type equation with exponential Neumann boundary condition. We generalize the Brezis-Merle type concentration-compactness theorem to this Neumann problem. Then along the line of the Li - Shafrir type quantization property we show that the blow-up value  $m(0) \in 2 \pi N \cup$  $\{2 \pi (1 + \alpha) + 2 \pi (N \cup \{0\})\}$  if the singular point 0 is a blow-up point. In the end, when the boundary value of solutions has an additional condition, we  $x_{k+1} = \int \frac{y}{(x_{k}, y)} dx = \int \frac{x_{k+1}}{x_{k}} \frac{a_{ii}}{(x_{k}, y)} dx = \int \frac{x_{k+1}}{x_{k}} \frac{a_{ii}}{(x_{k}, y)} dx = x_{k}$ can obtain the precise blow-up value  $m(0)=2\pi(1+\alpha)$ .

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